

# Basics of Design Structure Matrices

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# Contents

- The design structure matrix DSM
- Clustering a DSM
- Building a DSM
- The design matrix DM
- Conversion of a DM to a DSM
- The multi-domain-matrix MDM
- The life-cycle matrix LCM

## The design structure matrix DSM

	<i>a</i>	<i>b</i>	<i>c</i>	<i>d</i>	<i>e</i>
<i>a</i>	-		x		x
<i>b</i>		-		x	
<i>c</i>	x		-		x
<i>d</i>		x		-	
<i>e</i>	x		x		-

	<i>q</i>	<i>r</i>	<i>s</i>	<i>t</i>	<i>u</i>
<i>q</i>	-	x			
<i>r</i>		-			
<i>s</i>		x	-		x
<i>t</i>				-	x
<i>u</i>	x		x		-

- A DSM is an  $N \times N$  matrix with identical row and column labels.
- A mark (x) at position  $(i, j)$  indicates: element  $i$  depends on element  $j$ .
- Directed and undirected DSMs may be distinguished.
- Different types and strengths of dependencies may be indicated.

## Clustering a DSM

	<i>a</i>	<i>b</i>	<i>c</i>	<i>d</i>	<i>e</i>
<i>a</i>	-		x		x
<i>b</i>		-		x	
<i>c</i>	x		-		x
<i>d</i>		x		-	
<i>e</i>	x		x		-

	<i>d</i>	<i>b</i>	<i>e</i>	<i>a</i>	<i>c</i>
<i>d</i>	-	x			
<i>b</i>	x	-			
<i>e</i>			-	x	x
<i>a</i>			x	-	x
<i>c</i>			x	x	-

By permuting the rows and columns of the DSM, using a clustering algorithm, the underlying structure can be revealed.

# Building a DSM

## Questions:

- Which row and column elements should be used, e.g. components, activities, subsystems, people, etc.
- What type of dependencies should be modeled, e.g. spatial, energy, information, etc.

## Methods to build a DSM:

- *Directly* from:
  - technical drawings,
  - technical documentation, and
  - expert interviews.
- *Indirectly* from a design matrix DM by:
  1. documents that specify the mapping, of e.g. functions to components, in a DM, and
  2. use the DM, to calculate the function DSM and the component DSM.

## The design matrix DM

	$k$	$l$	$m$	$n$
$a$		x		x
$b$	x		x	
$c$		x	x	

- A design matrix is a  $M \times N$  matrix that maps  $M$  elements of one domain to  $N$  elements of another domain, e.g. rows represent components and columns represent functions.
- Function  $l$  is fulfilled by components  $a$  and  $c$ .

## DM to DSM conversion

	<i>k</i>	<i>l</i>	<i>m</i>	<i>n</i>
<i>a</i>		x		x
<i>b</i>	x		x	
<i>c</i>		x	x	

	<i>k</i>	<i>l</i>	<i>m</i>	<i>n</i>
<i>k</i>	-		x	
<i>l</i>		-	x	x
<i>m</i>	x	x	-	
<i>n</i>		x		-

	<i>a</i>	<i>b</i>	<i>c</i>
<i>a</i>	-		x
<i>b</i>		-	x
<i>c</i>	x	x	-

- If two functions share a common component, then they are dependent, e.g. *l* and *n* share component *a*.
- If two components contribute to the same function, then they are dependent, e.g. *a* and *c* both contribute to *l*.

## The multi-domain matrix MDM

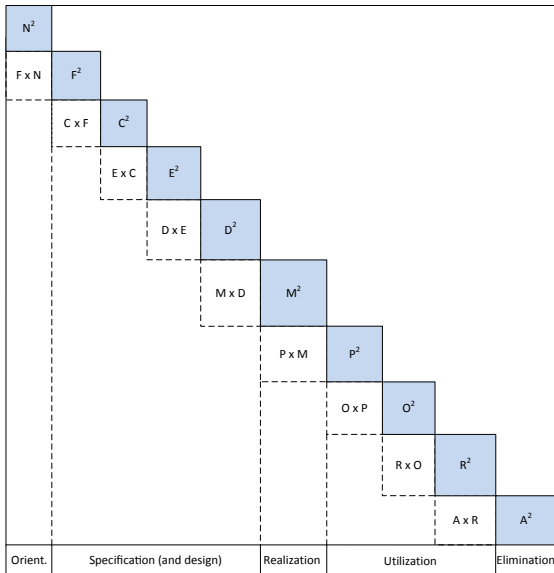
$M \times M$ DSM	
	$N \times N$ DSM

	<i>k</i>	<i>l</i>	<i>m</i>	<i>n</i>	<i>a</i>	<i>b</i>	<i>c</i>
<i>k</i>	-		x				
<i>l</i>		-	x	x			
<i>m</i>	x	x	-				
<i>n</i>		x		-			
<i>a</i>		x		x	-		x
<i>b</i>	x		x			-	x
<i>c</i>		x	x		x	x	-

- Multiple DSMs and DMs are combined in one matrix.
- Matrices on the diagonal are single domain DSMs, e.g. function DSMs; component DSMs.
- Off-diagonal matrices are DMs mapping the dependencies between two domains, e.g. function-component DM.



# The life cycle matrix LCM



An LCM is an MDM:

$X == Y$  : DSM(X,X),

$X \neq Y$  : DM(X,Y),

where X, Y:

N - Needs,

F - Functional,

C - Conceptual,

E - Embodiment,

D - Detailed,

M - Manufacturing,

P - Physical,

O - Operational,

R - Revision,

A - Annihilation.